

Wobbling HIB Illumination Uniformity

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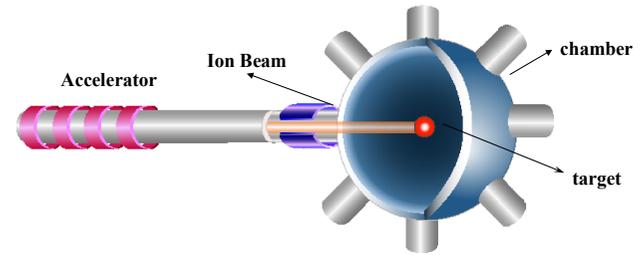
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Acknowledgements: Friends in HIF-VNL in U.S.A.

Purpose



Improve HIB illumination non-uniformity of wobblers' initial imprint, which induces implosion non-uniformity

Background

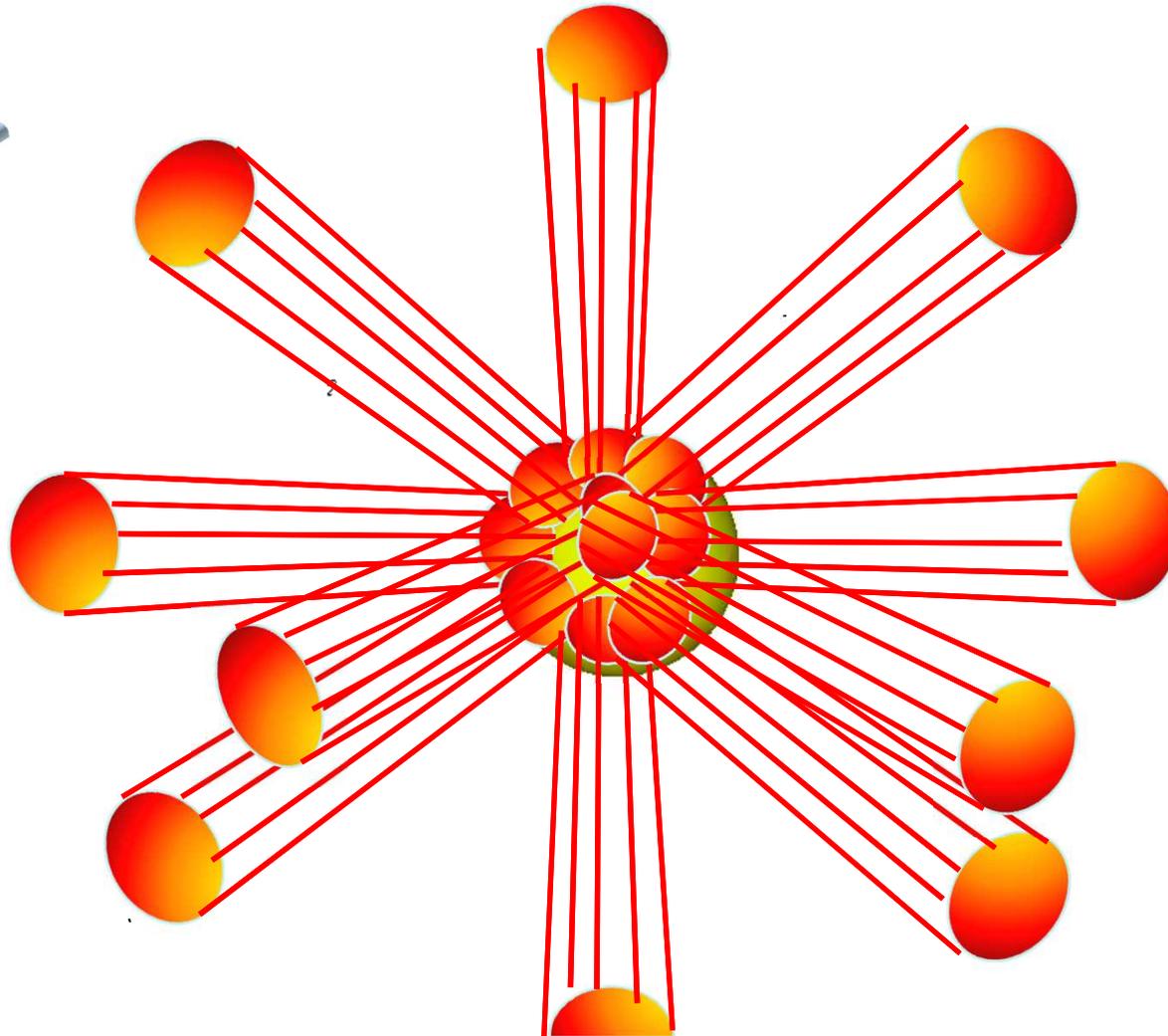
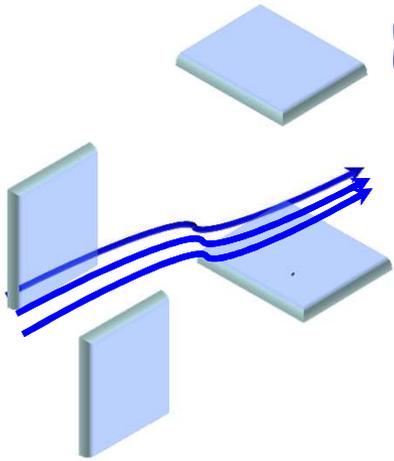
Precisely controllable HIB: pulse shape, particle energy, beam axis, etc.

Recently Wobbling HIBs were proposed to smooth HIB illumination nonuniformity & R-T growth reduction. <- /S.Kawata, et al, /J. Lunge, et al, /H. Qing, etc.

J. Lunge & G. Logan found a very-good uniformity of HIBs illumination for time-averaged HIBs on a target.

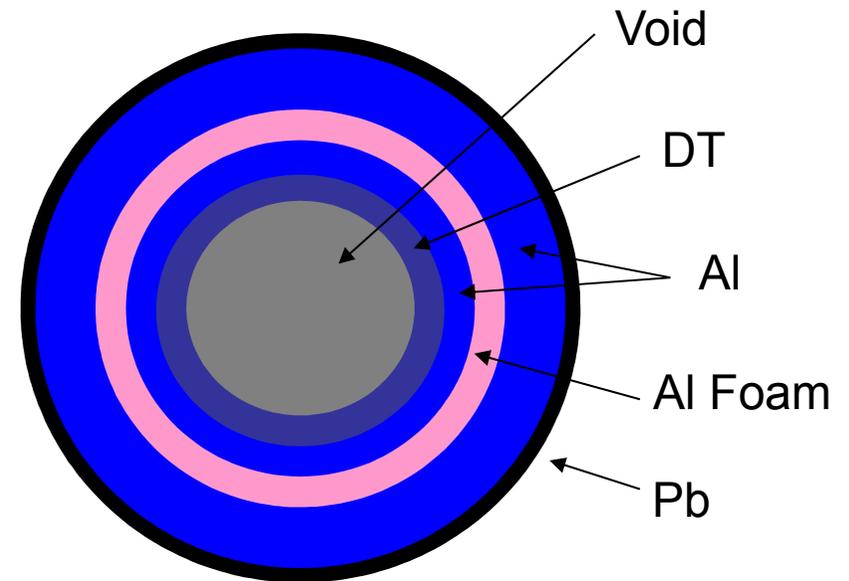
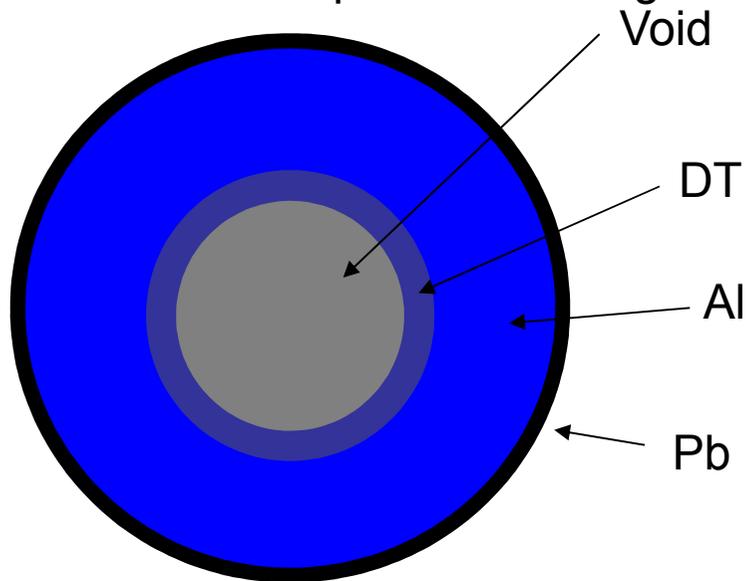
- > A large HIBs-illumination nonuniformity by the Initial imprint $\sim 15\%$ or
- > Initial imprint should be reduced.

Wobbling Heavy Ion Beams
may reduce the R-T growth.



Background

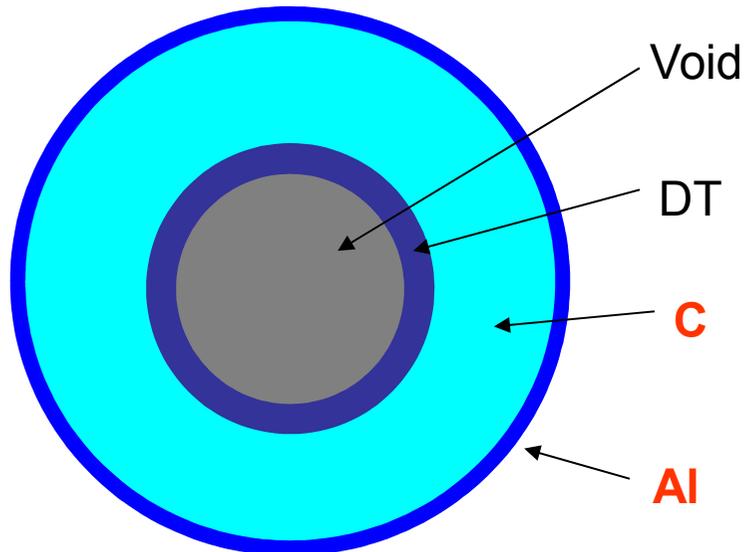
Examples of HIF target design



Direct-indirect hybrid implosion

HIB input energy is 4MJ,

-> Gain ~45.



HIB input energy is 1.8MJ,

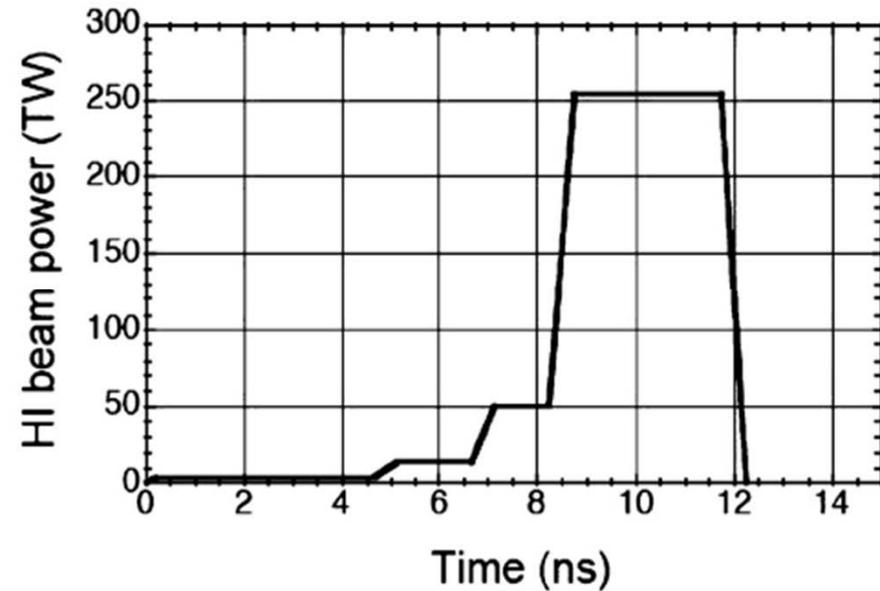
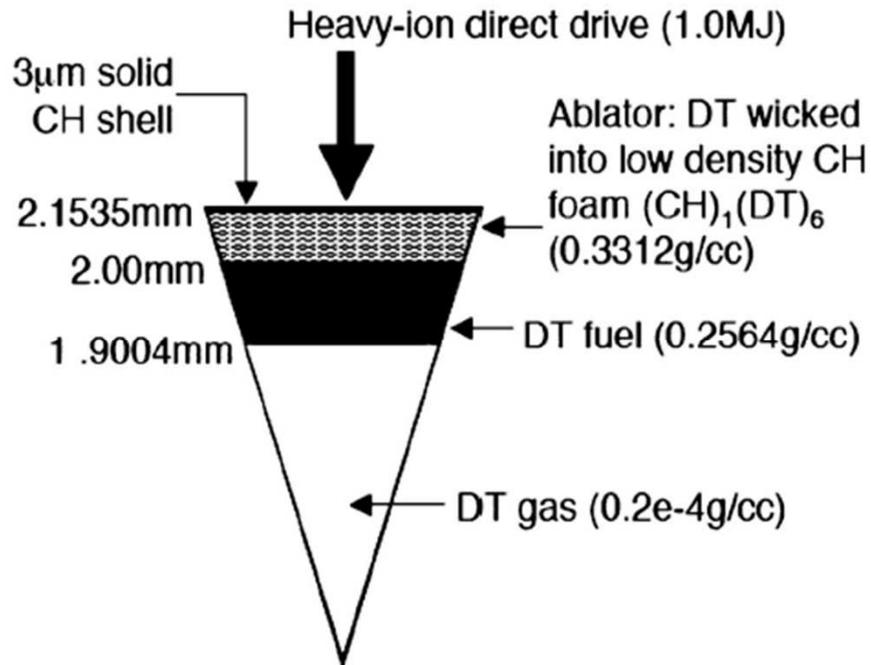
-> Gain ~223.

Direct drive heavy-ion-beam inertial fusion at high coupling efficiency

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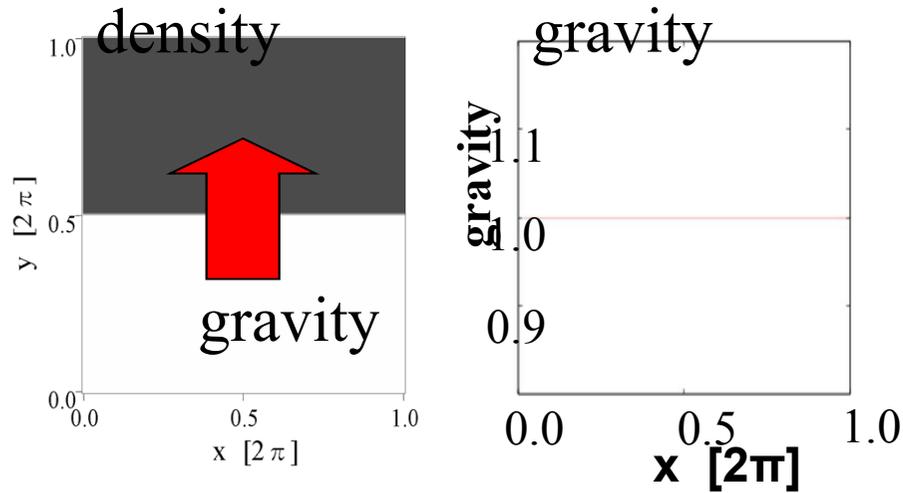


high coupling efficiencies shell kinetic energy/
incident beam energy of 16% to 18%!!!

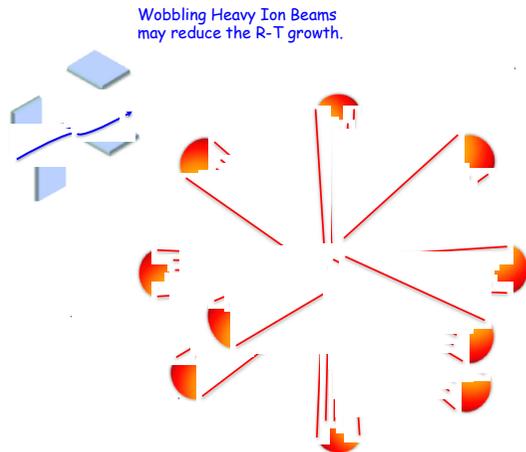
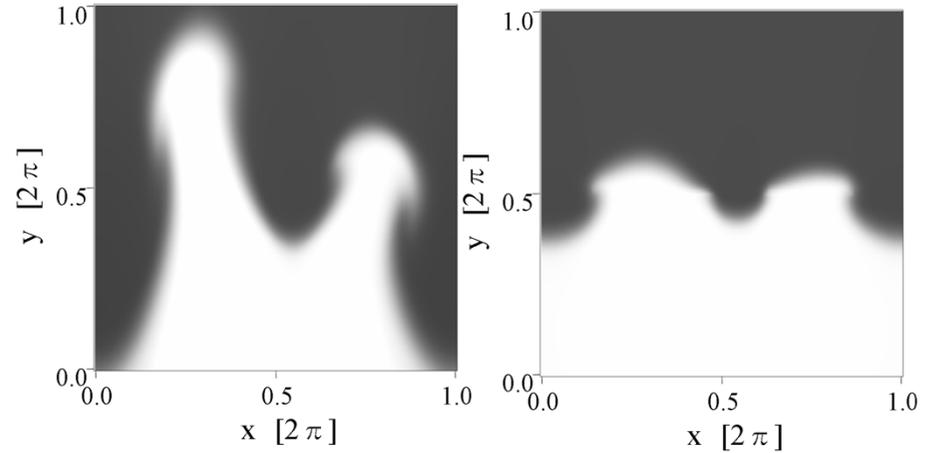
Background

R-T instability growth control by Wobblers

$$g = g_0 + \delta g$$



Normal R-T growth R-T growth under δg oscillation

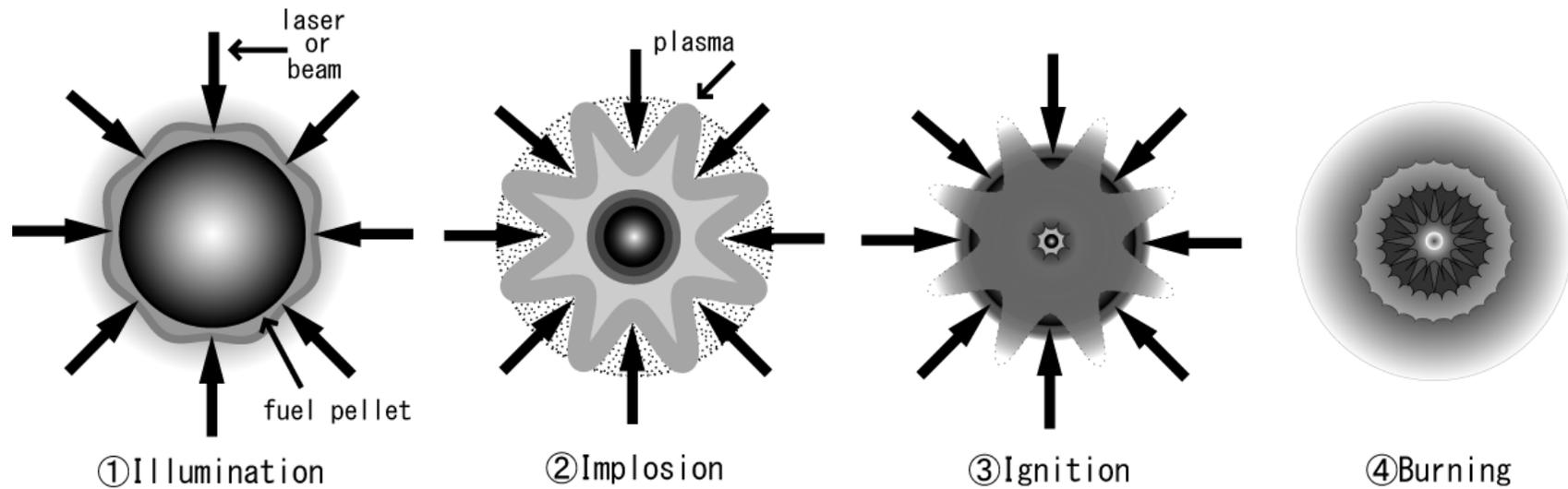


Wobbling

HIBs

->

1. smoothing of illumination nonuniformity
2. R-T growth control



Centroid and Envelope Dynamics of High-Intensity Charged-Particle Beams in an External Focusing Lattice and Oscillating Wobbler

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The centroid and envelope dynamics of a high-intensity charged-particle beam are investigated as a beam smoothing technique to achieve uniform illumination over a suitably chosen region of the target for applications to ion-beam-driven high energy density physics and heavy ion fusion. The motion of the beam centroid projected onto the target follows a smooth pattern to achieve the desired illumination, for improved stability properties during the beam-target interaction. The centroid dynamics is controlled by an oscillating “wobbler,” a set of electrically biased plates driven by rf voltage.

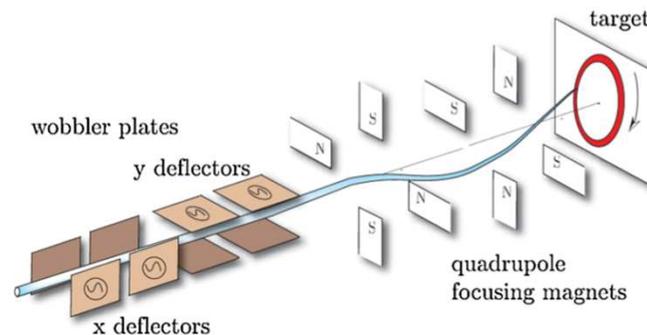
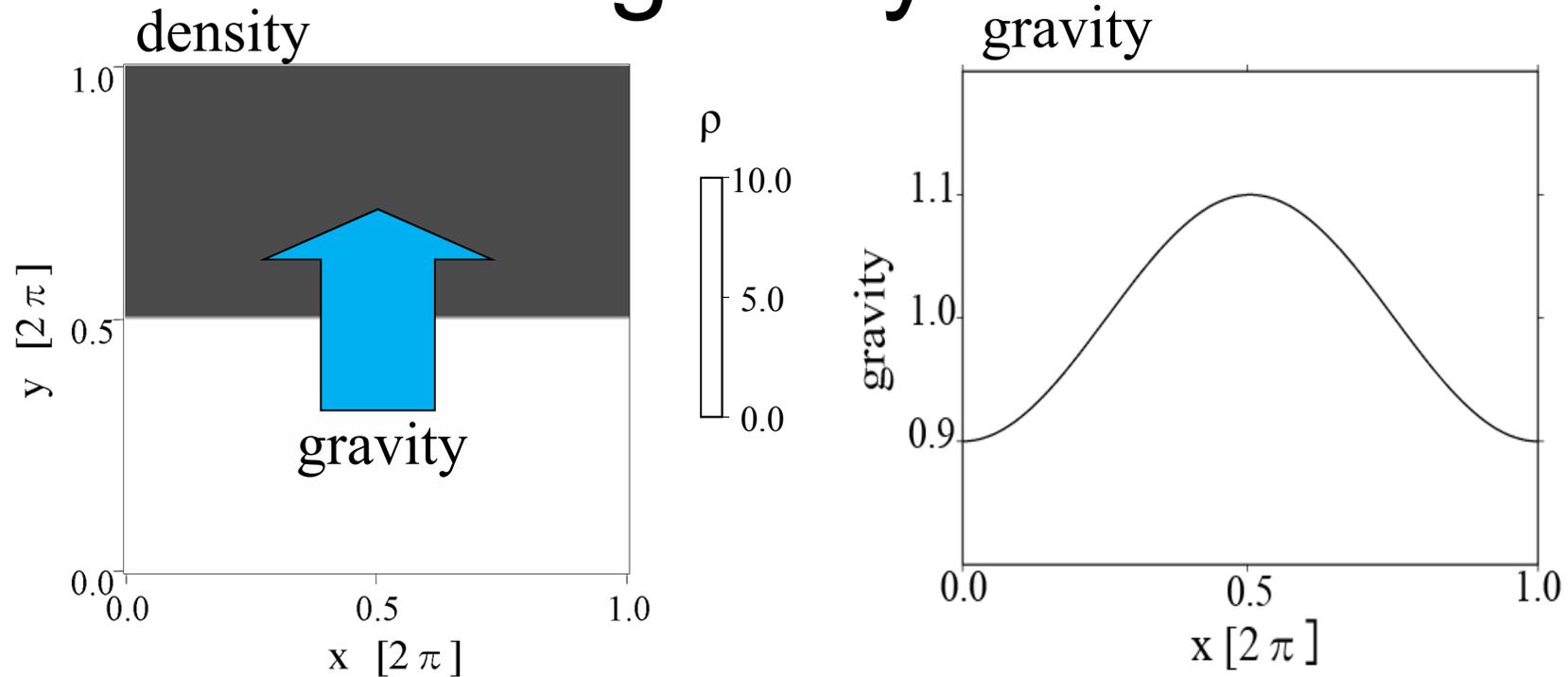


FIG. 1 (color). Quadrupole focusing lattice and wobbler system. The motion of the centroid projected onto the target follows a smooth pattern in order to achieve uniform illumination over a suitably chosen region of the target.

Simulation model - constant gravity -



The calculation parameters are

$\rho_{High} : 10$	$g_0 : 1$
$\rho_{Low} : 3$	$k : 1$
$g : g_0 + 0.1g_0 \sin(kx)$	

Control of RTI - Oscillating gravity -

$$g(x,y,z,t) = g_0 + \delta g(x,y,z,t)$$

$$= g_0 + g_1 f_1(x,y) \exp(-\beta|z|) \exp(i\Omega t)$$



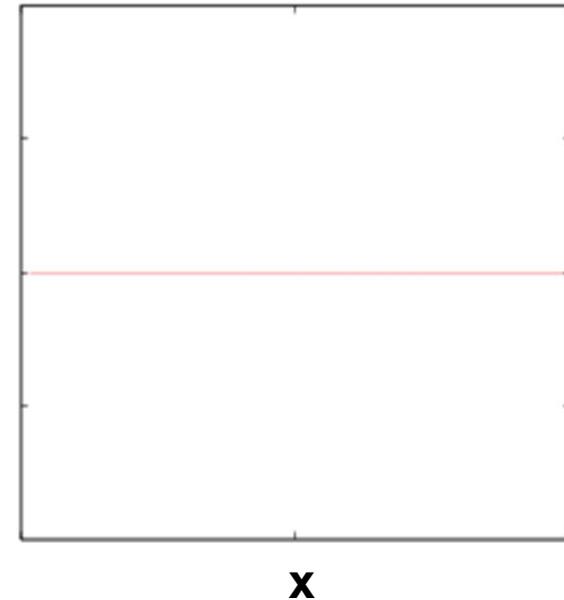
$$w_0 \propto \delta g \Delta t$$

$$\Omega = 2\pi f$$

$$w = \frac{\gamma + i\Omega}{\gamma^2 + \Omega^2} g_1 \exp(ik_x + ik_y) [\exp(\gamma t) - \exp(i\Omega t)]$$

gravity

Oscillation Gravity



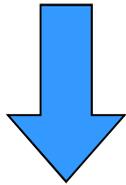
w : velocity γ : growth rate f : frequency

w_0 : initial velocity δg : non-uniform gravity t : time

From the equation, when the gravity oscillation frequency f is increased, the RTI perturbation velocity w decreases.

Control of RTI - Oscillating gravity -

$$w = \frac{\gamma + i\Omega}{\gamma^2 + \Omega^2} g_1 \exp(ik_x + ik_y) [\exp(\gamma t) - \exp(i\Omega t)] \quad \text{Oscillation Gravity}$$



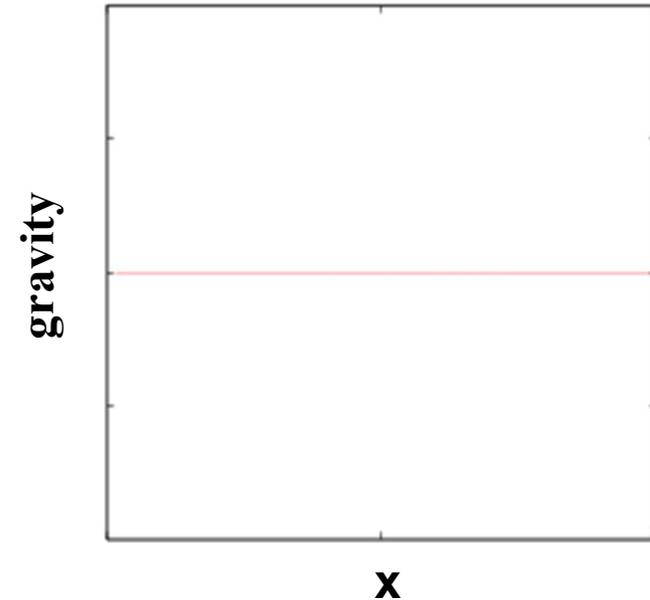
$$|w| \approx \frac{1}{\Omega} g_1 \exp(\gamma t) \quad \text{for } \gamma \ll \Omega$$

$$|w| \approx \frac{1}{2\gamma} g_1 \exp(\gamma t) \quad \text{for } \gamma = \Omega$$

$$\text{Growth Reduction Ratio} \approx \frac{\gamma}{\Omega} \quad \text{for } \gamma \ll \Omega$$

w : velocity γ : growth rate f : frequency

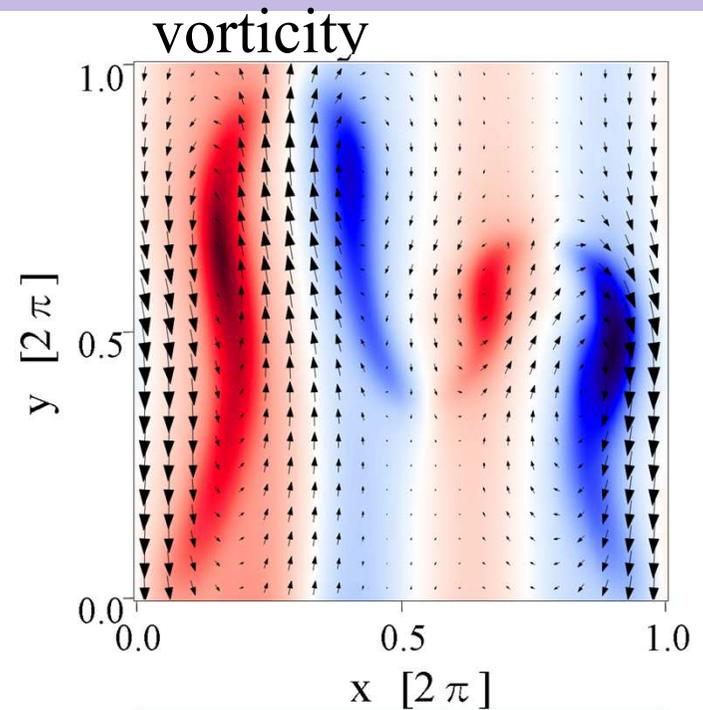
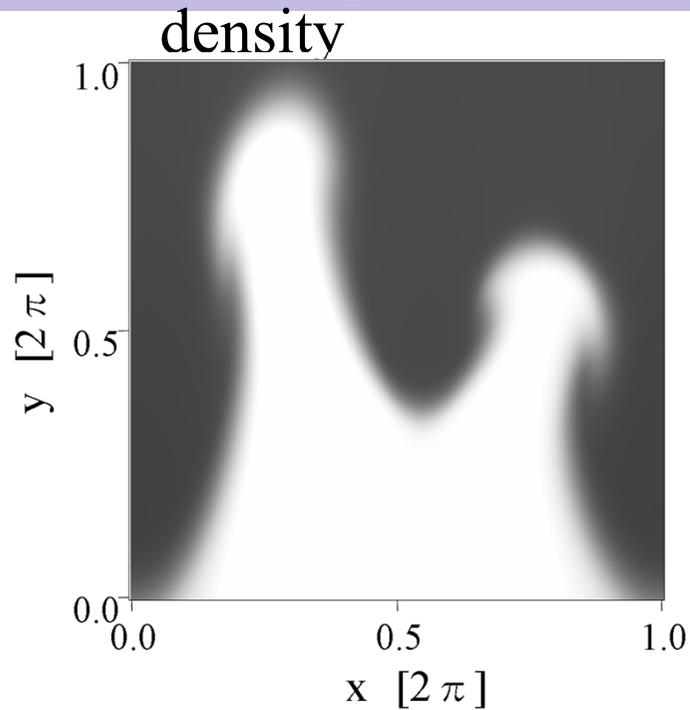
w_0 : initial velocity δg : non-uniform gravity t : time



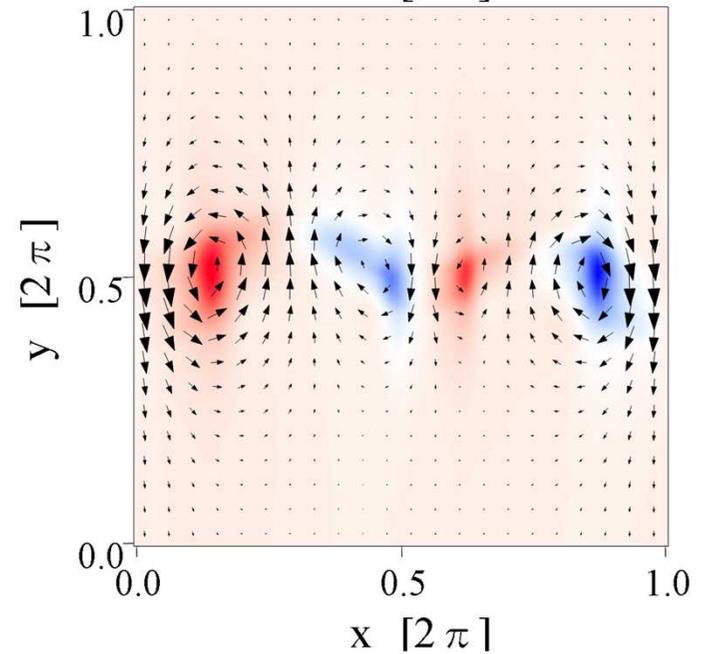
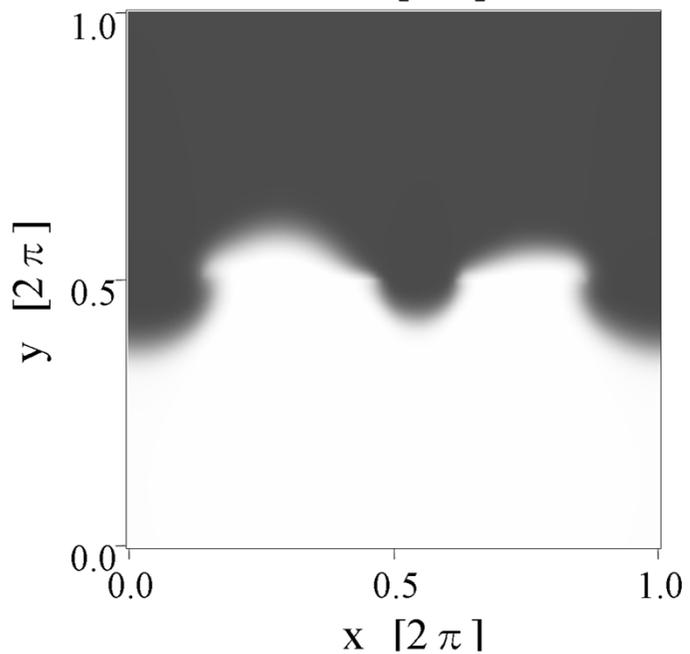
From the equation, when the gravity oscillation frequency f is increased, the RTI perturbation velocity w decreases.

Multi Mode Comparison ($t=5 [1/\gamma]$)

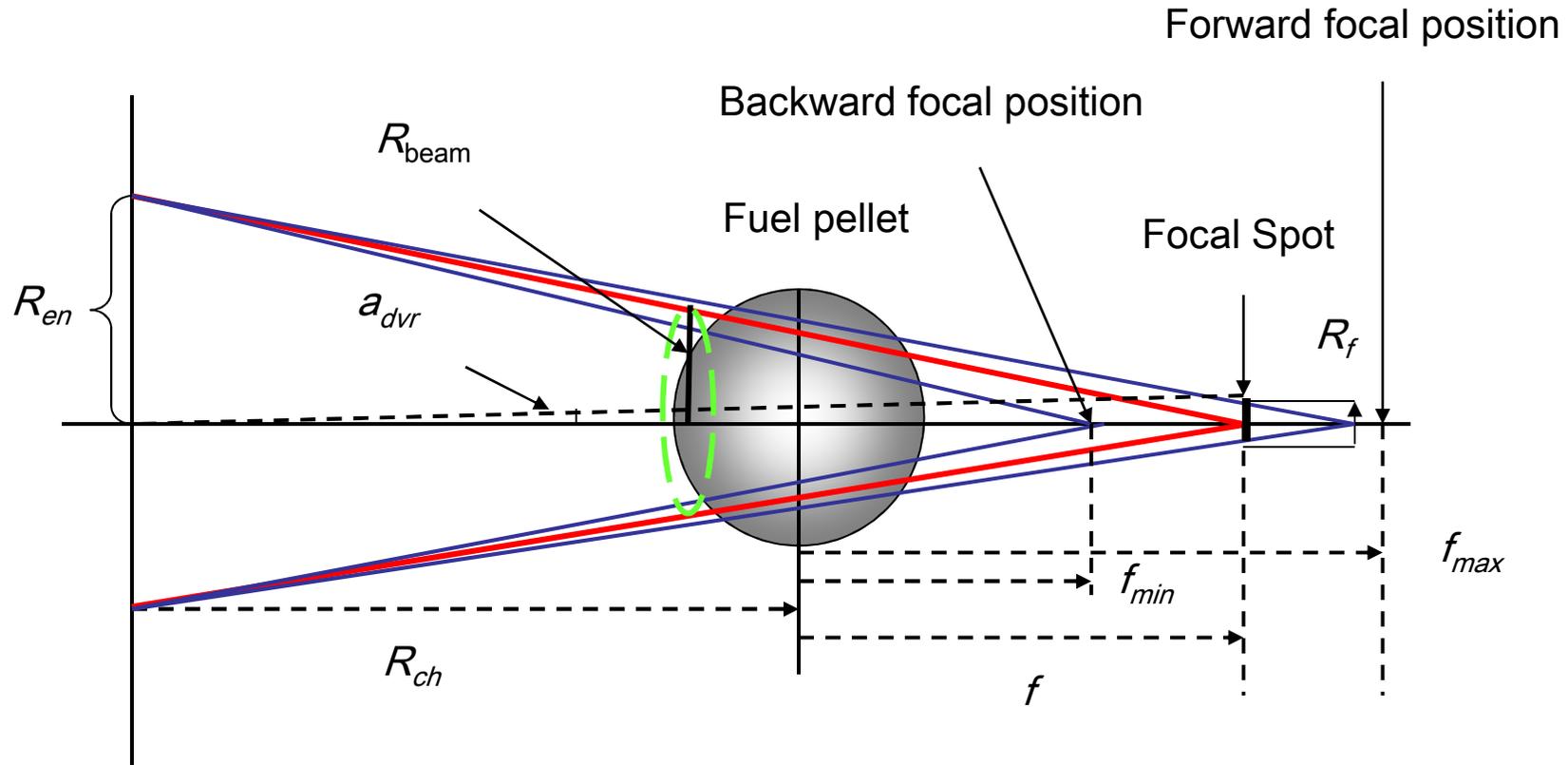
constant



oscillation
(γ [Hz])

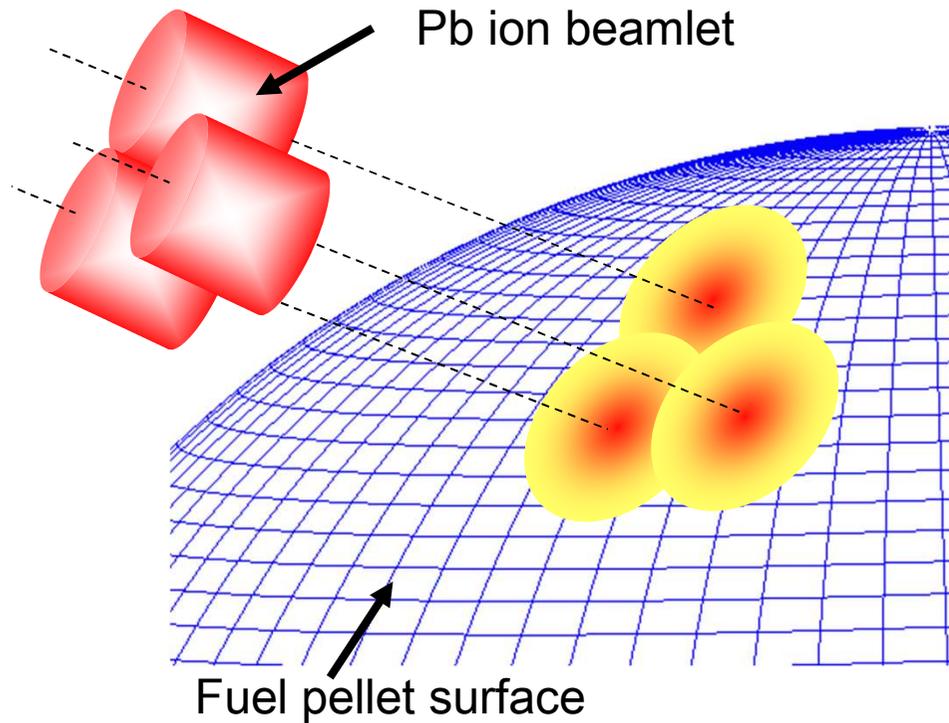


HIB-Fuel pellet interaction

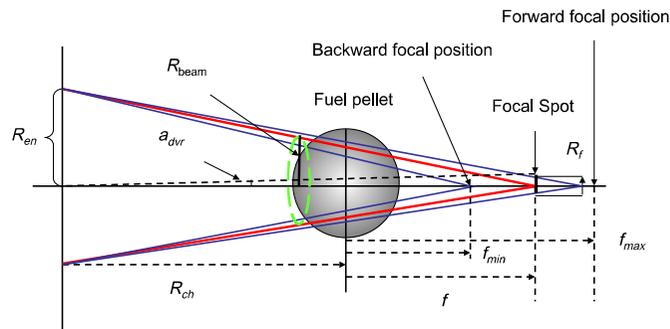


HIB illumination model

2 . HIB-Fuel pellet interaction (2)



HIB-Fuel pellet interaction



HIB illumination model

Calculation procedure

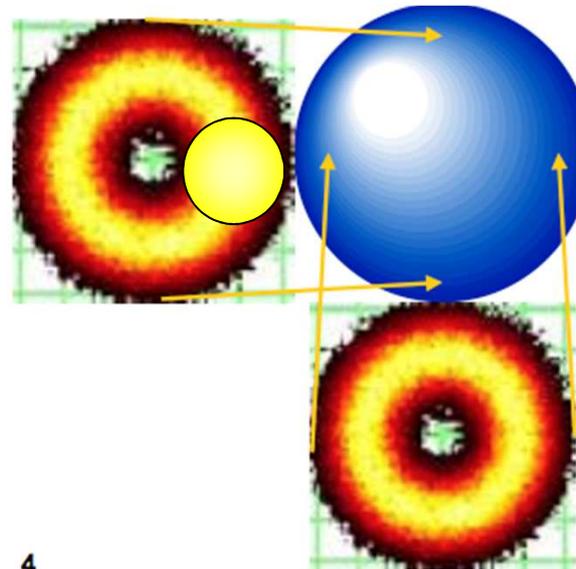
1. A beam is divided into many beamlets
2. Calculation of beam particle trajectories
3. Calculation of stopping power
4. Energy deposition on to the fuel pellet

Nonuniformity for rotated beam illumination in directly driven heavy-ion fusion

J. Runge^{a)} and B. G. Logan

Lawrence Berkeley National Laboratory and Virtual National Laboratory for Heavy Ion Fusion, Berkeley, California 94720, USA

60 HIBs \rightarrow $<1\%$ HIB illumination non-uniformity



Parameters

Pb^+ ion beam

Beam number : 32

Beam particle energy : 8GeV

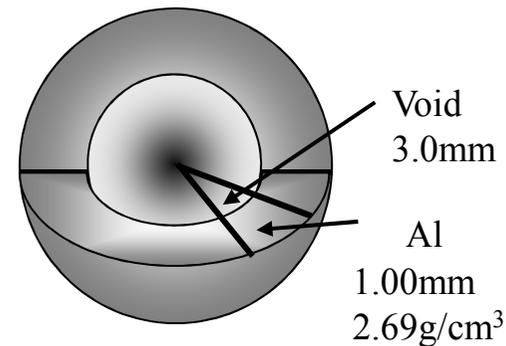
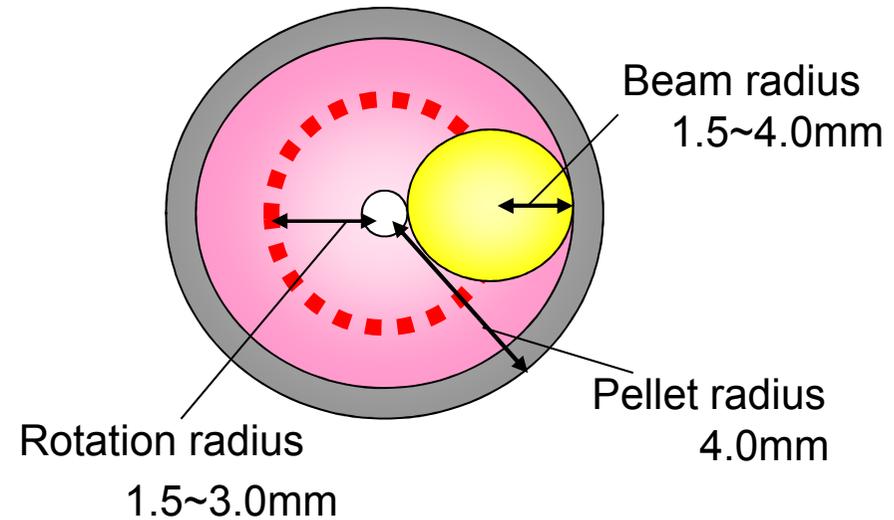
Beam particle density distribution : Gaussian

Beam temperature of projectile ions : 100MeV with the

Maxwell distribution

External pellet radius : 4.0mm

Pellet material : Al



Al pellet structure

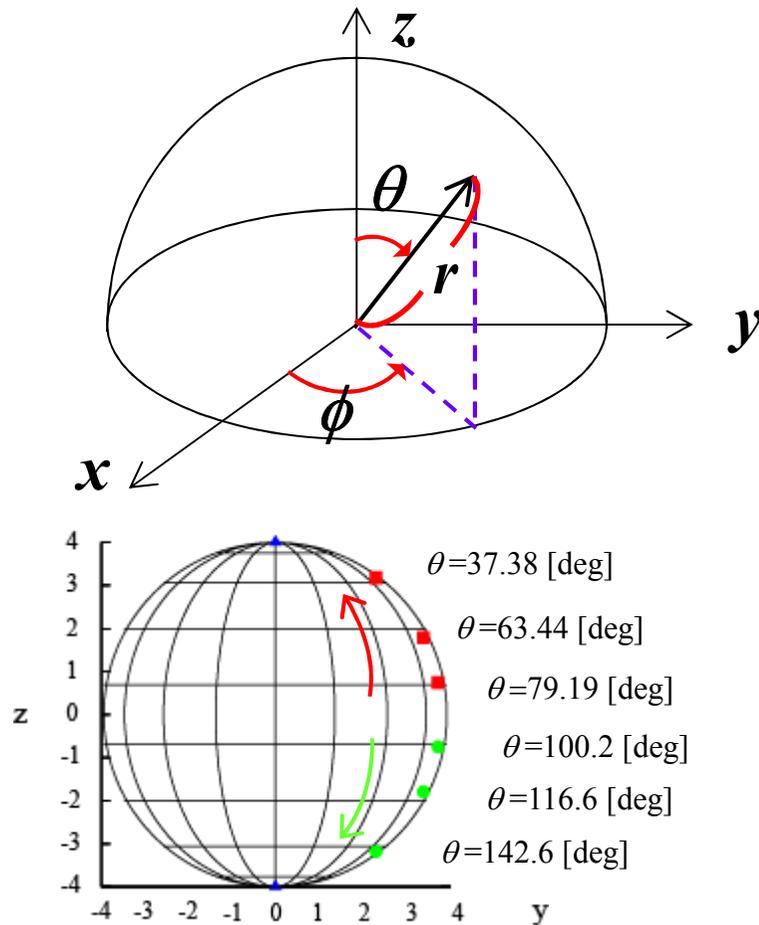
32 HIBs

ref.: Skupsky & Lee, JAP 54(1983)3662.

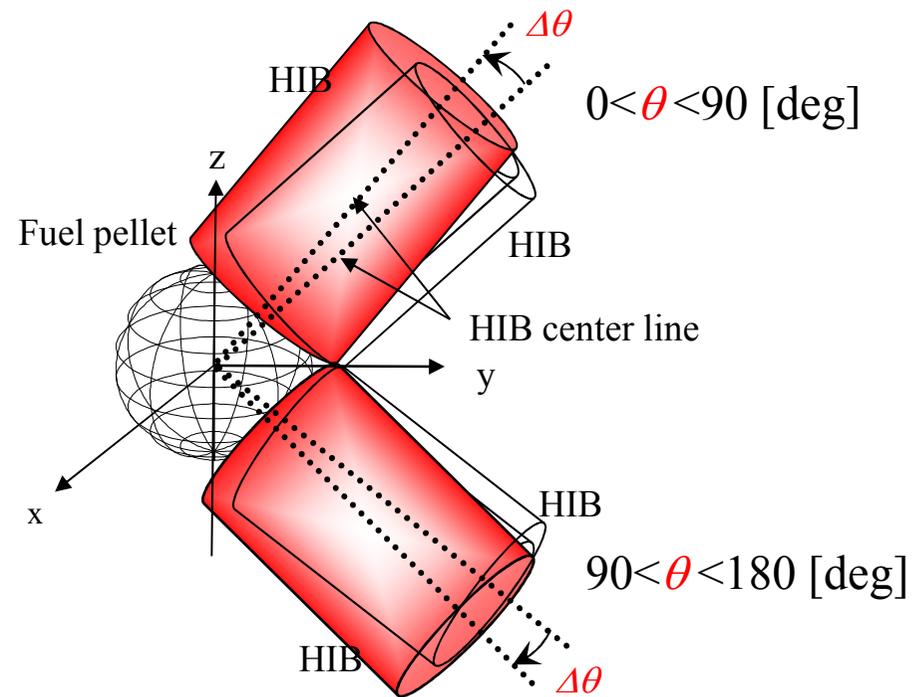
Optimization for Suppression of HIB illumination non-uniformity

HIB radius larger than external pellet radius (4.0mm)

Find optimal θ



HIB illumination angle in θ direction at the 32-beams



Schematic diagram of HIB illumination arrangement in the θ direction

Evaluation method non-uniformity

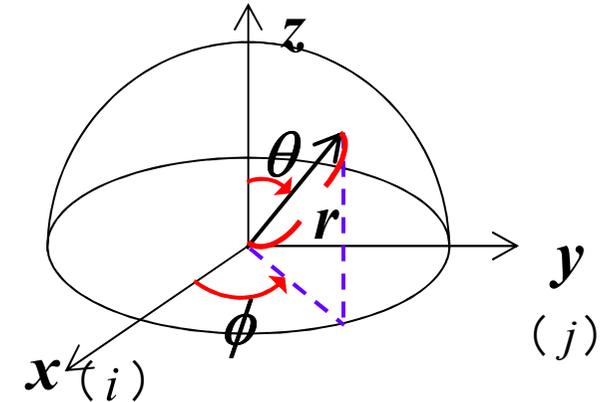
We define the total relative root-mean-square as follows

$$\sigma_i = \frac{1}{\langle F_i \rangle} \sqrt{\frac{1}{N_j} \sum_{j=1}^{N_j} (F_{ij} - \langle F_i \rangle)^2}$$

F_{ij} : Physical quantity (radiation temperature, ion temperature, density, pressure)

$\langle F_i \rangle$: Mean physical quantity on i surface

N : total mesh number

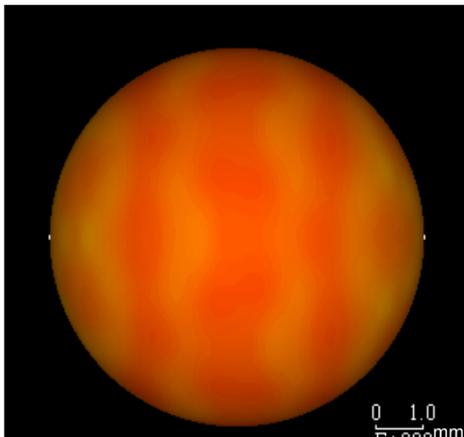


The non-uniformity in the AI

$$\sigma = \sum_{i=1}^{N_i} w_i \sigma_i$$

The weight function :

$$w_i = \frac{\sum_{j=1}^{N_j} F_{i,j}}{\sum_{i=1}^{N_i} \sum_{j=1}^{N_j} F_{i,j}}$$



32 beams

Rotation radius 1.9mm

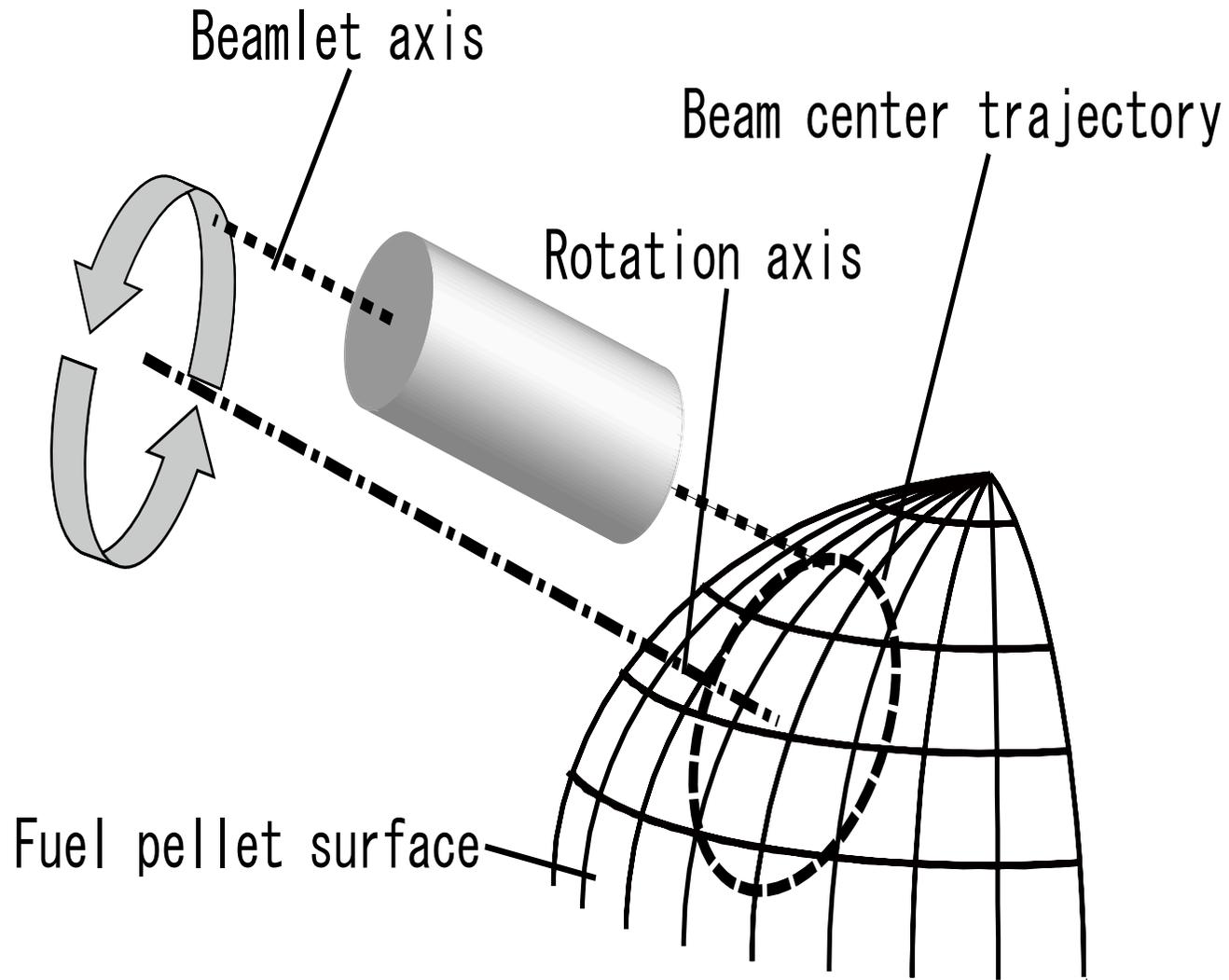
Beam radius 2.6mm

σ_{rms} 2.32%

32-beam

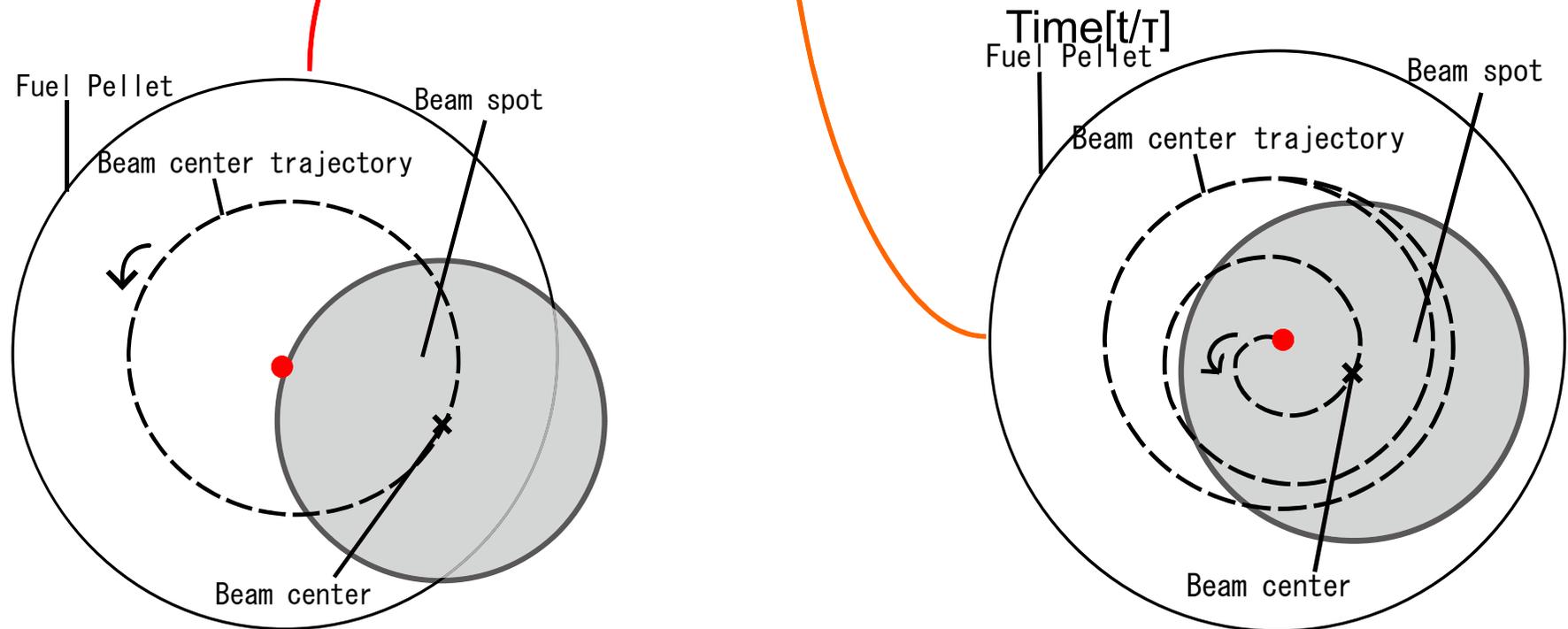
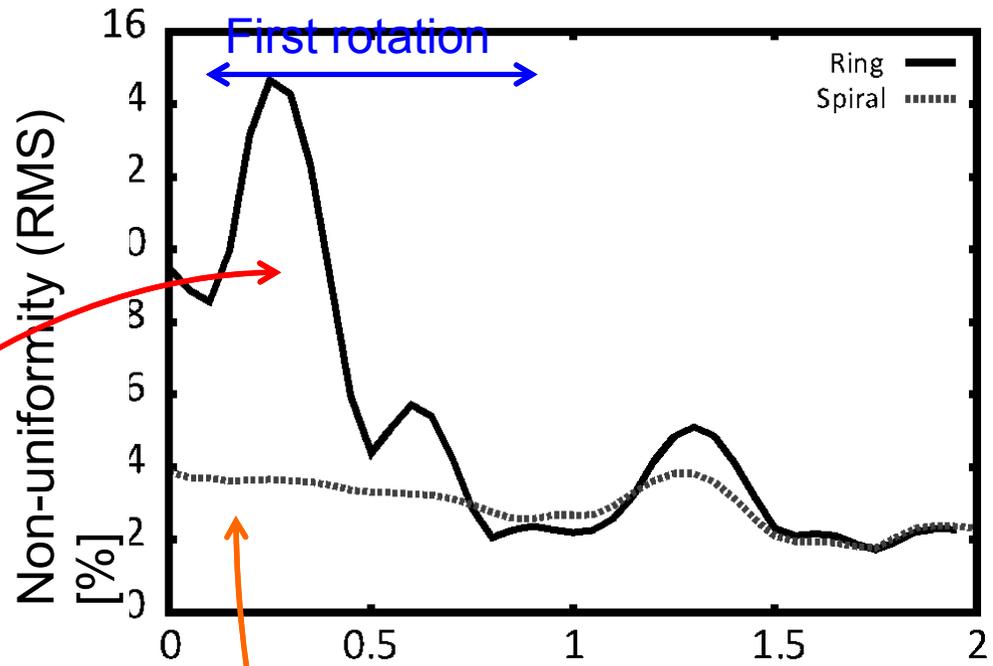
32-HIBs illumination system

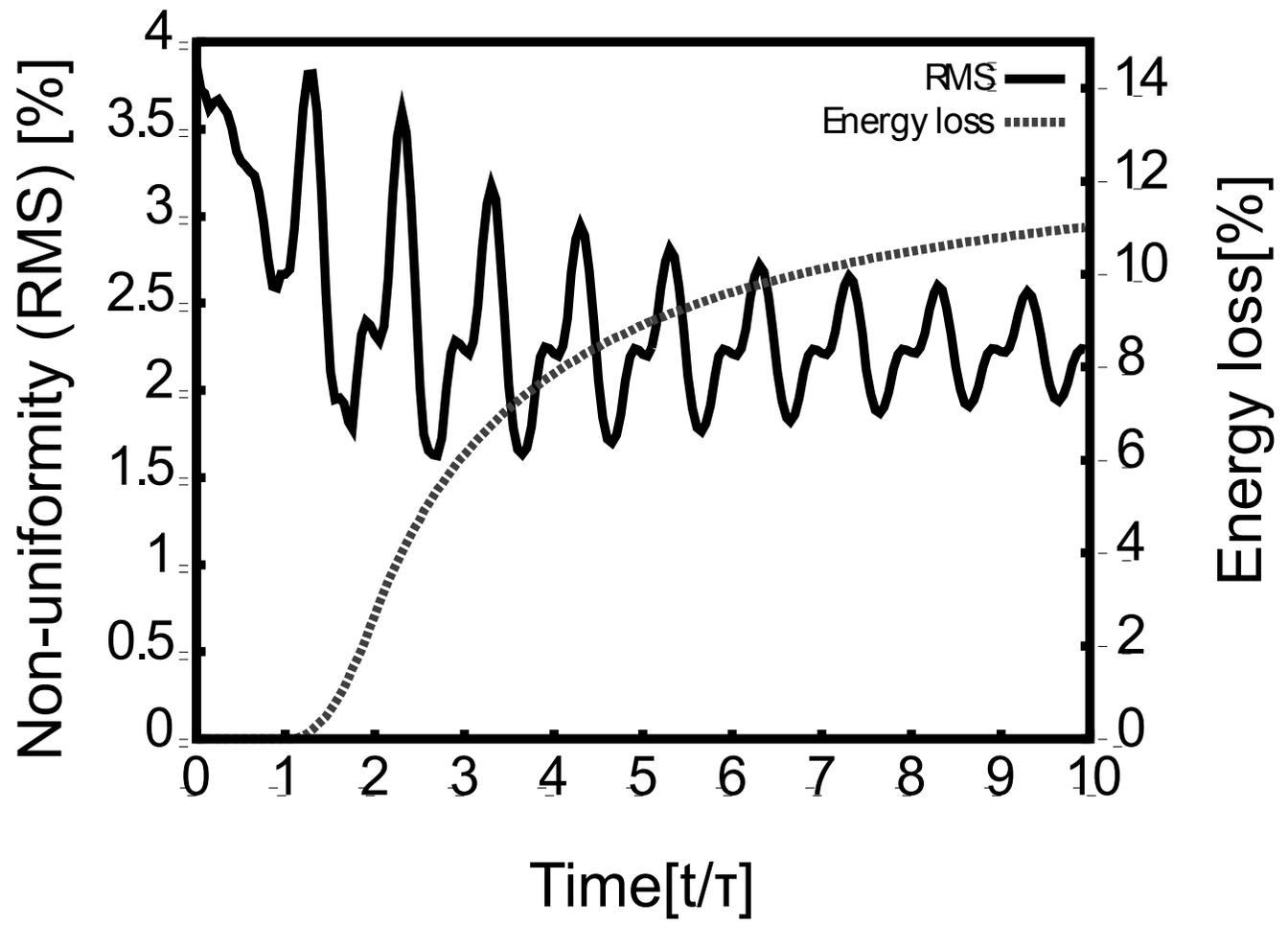
Image of Wobbling Heavy Ion Beam

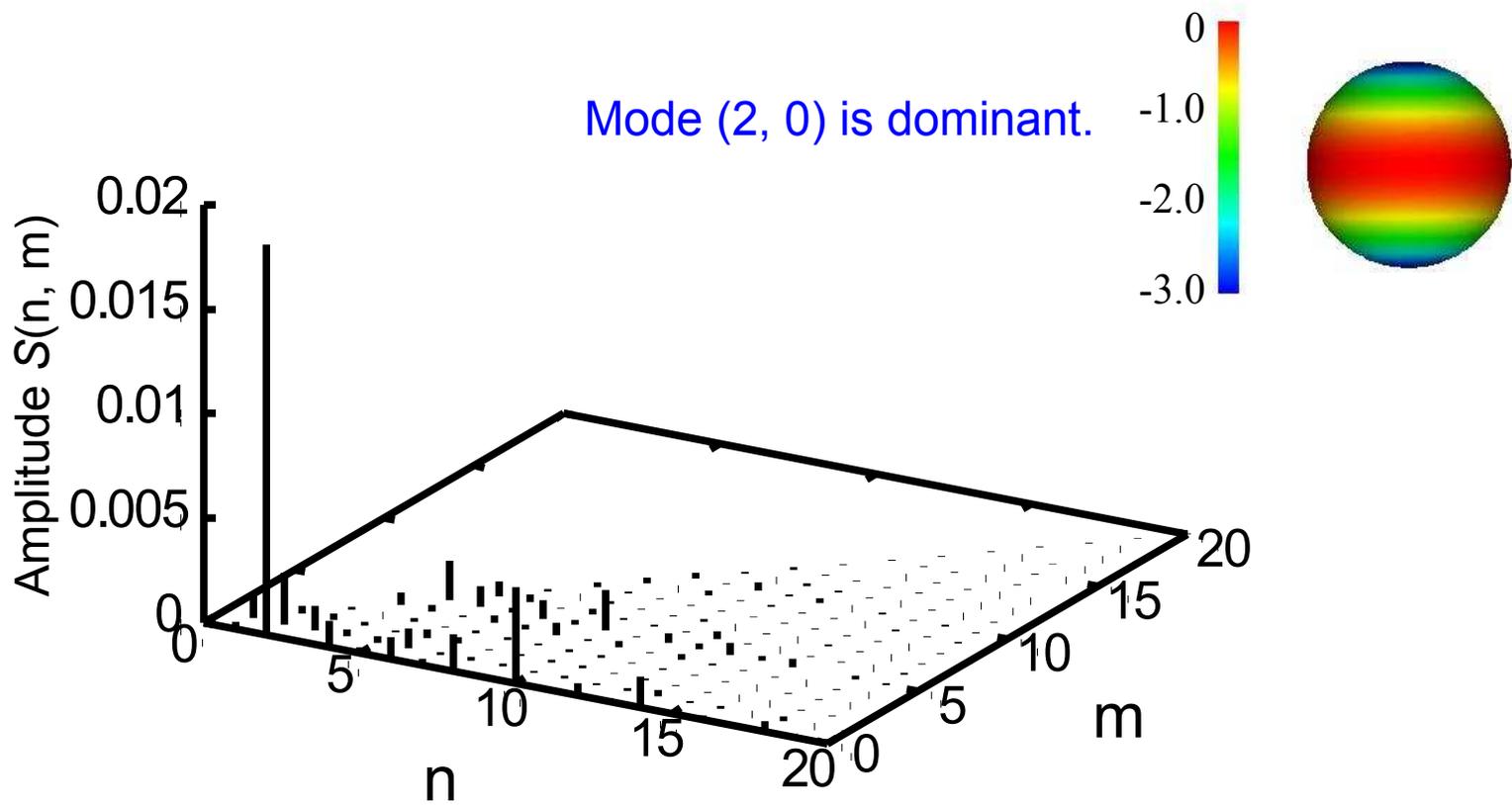


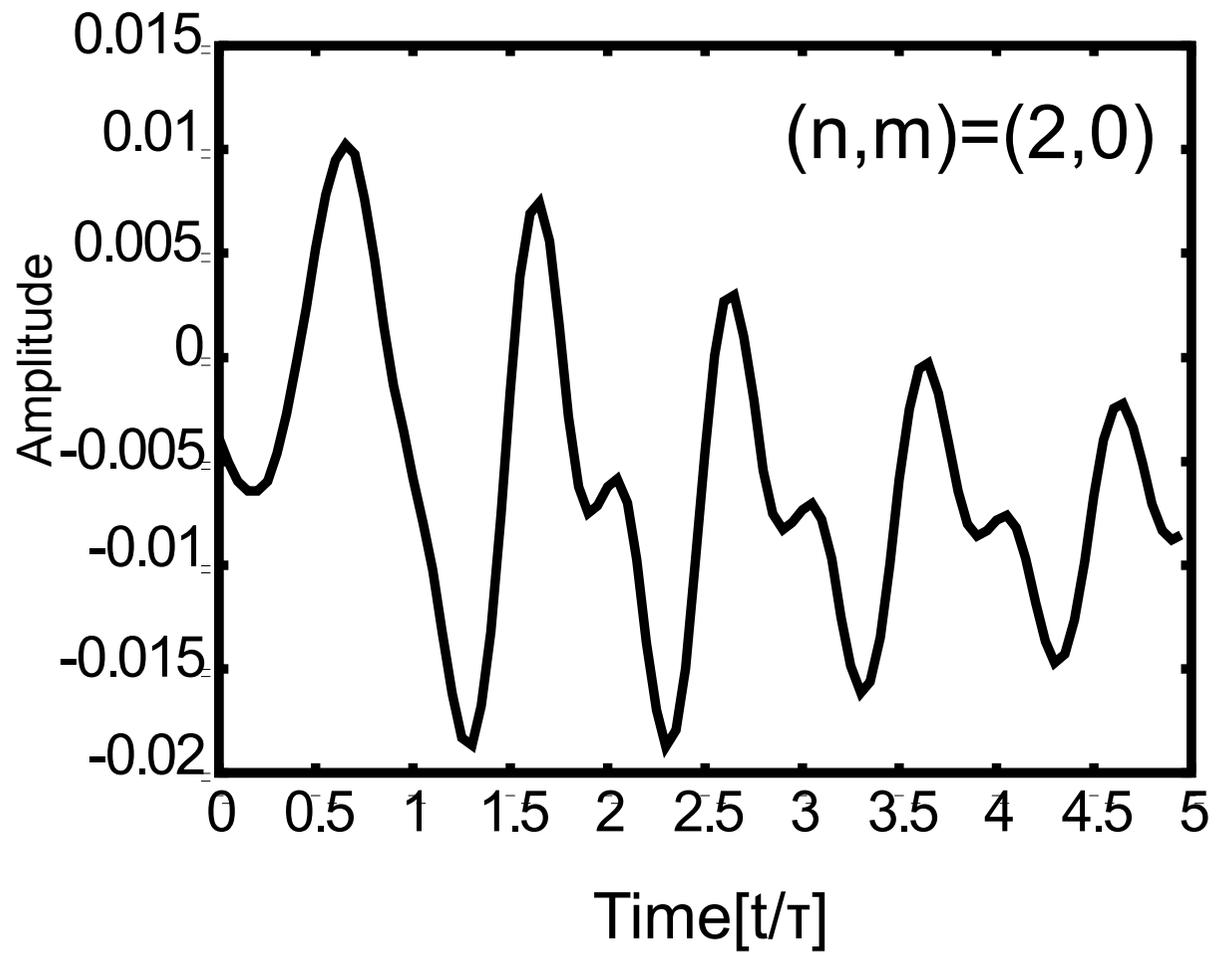
Initial imprint was huge.

<- Spiral HIBs reduce Imprint.

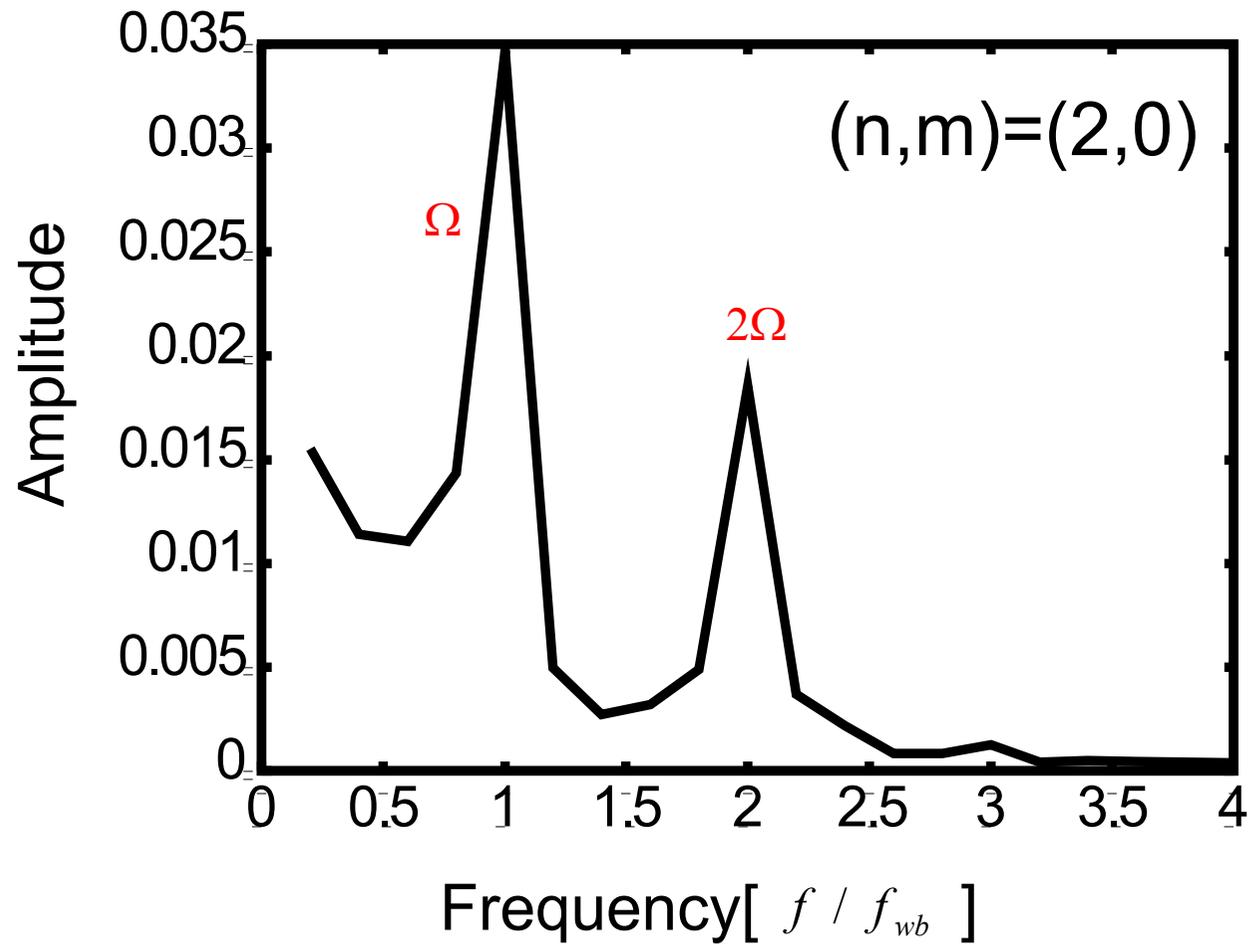








A few % of energy deposition nonuniformity oscillates with the the wobbling HIBS oscillation frequency Ω .



Summary

/ Spiral Wobbling HIBs introduce
a low illumination non-uniformity. $< 3.8\%$

/ Initial imprint does not give a large nonuniformity.

HIB main pulse $\sim 10 - 20$ nsec

Rotation frequency \sim several 100MHz~1GHz

=>

We found a time-dependent wobbling HIBs illumination
with a sufficient uniformity

+ with a time-dependent small nonuniformity

with the the wobblers oscillation frequency Ω .

-> may induces $g = g_0 + \delta g$

-> Wobbling HIBs may give a new smoothing & R-T
growth mitigation method!